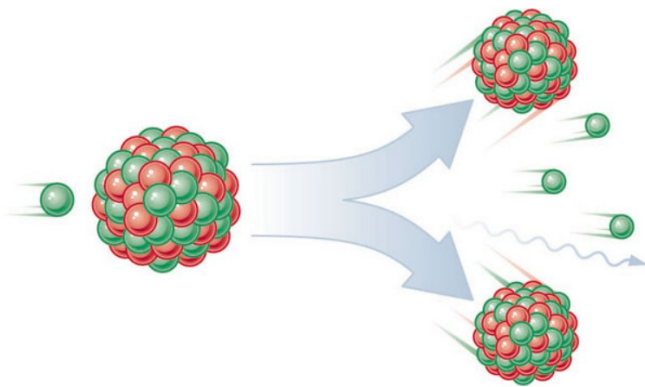


Unit 3 Lesson III (3.3)

Nuclear Reactions, Half-Life & Stability

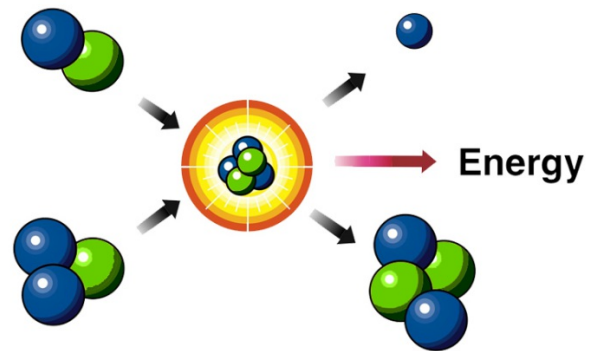
Objective: The student will be able to (1) predict the products of nuclear reactions, (2) determine the amount of time it takes for these decay processes, (3) describe why these processes occur.

Types of Nuclear Reactions



1. Fission

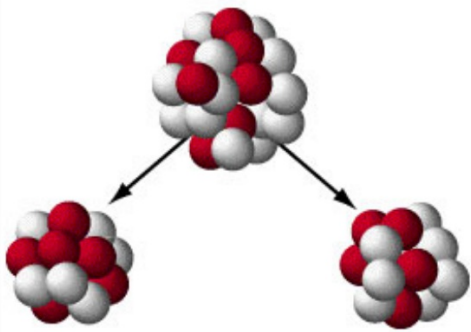
one nucleus is broken apart to form multiple nuclei by force



2. Fusion

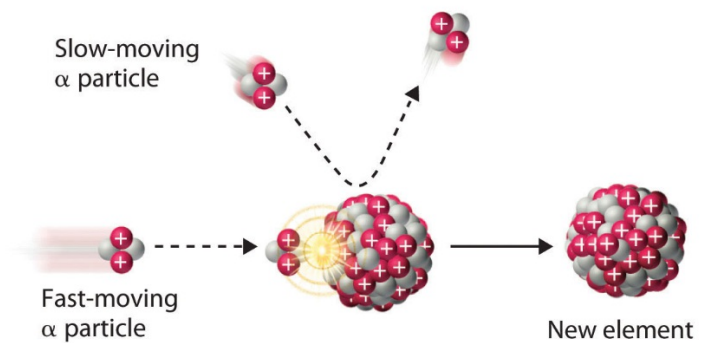
multiple nuclei are brought together to form a single nucleus

Types of Nuclear Reactions



3. Decay (spontaneous)

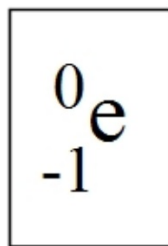
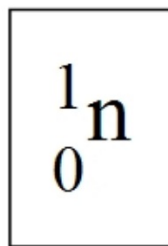
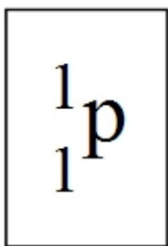
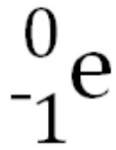
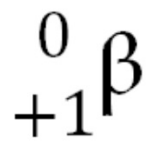
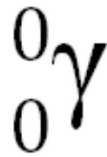
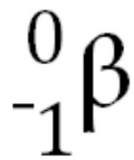
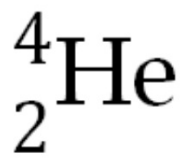
splitting of a single atom into multiple products on its own



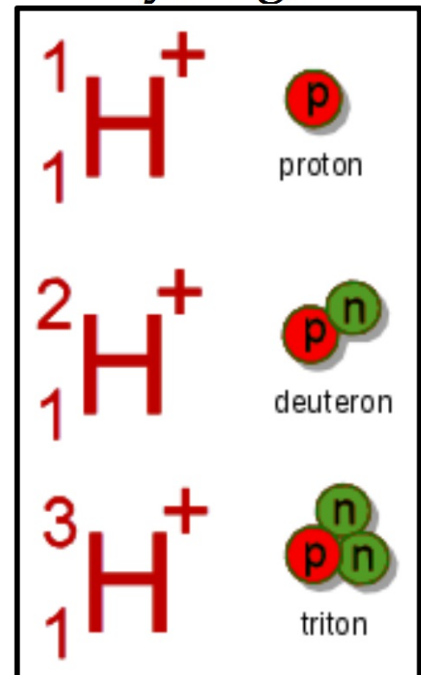
4. Transmutation

bombardment of a particle to create a single new element

Particles You Should Know



Isotopes of Hydrogen



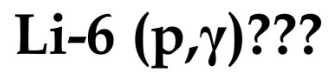
Balancing Nuclear Reactions The Law of Conservation of Mass

Example 1:



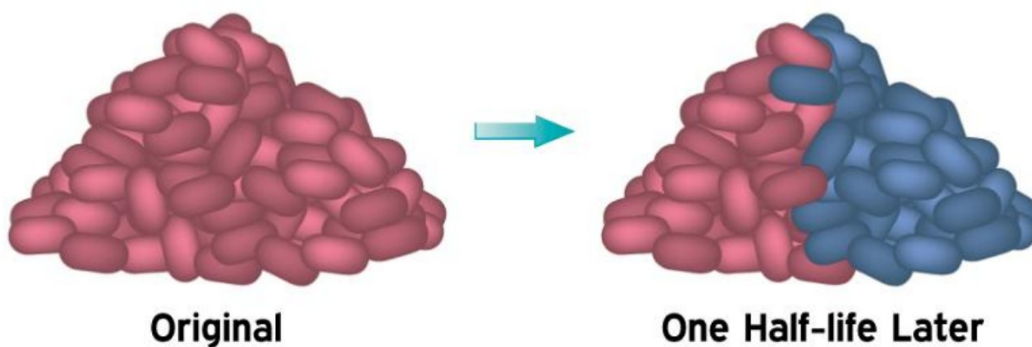
Example 2
Short-Hand nuclear reactions

Complete the following nuclear reactions:



Half-Life

The time required for a quantity to fall to half its value as measured at the beginning of the time period.



Occurs with most forms of matter, but more quickly in radioactive substances

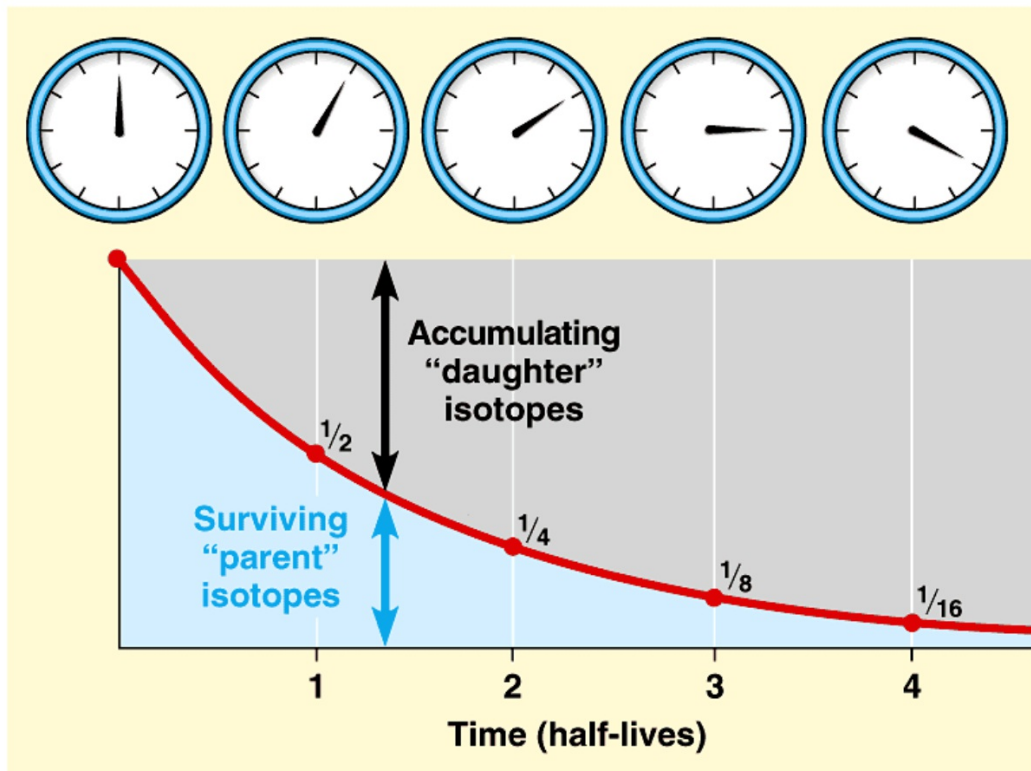
Simple Half-Life Problems

The half-life of radium-222 is 38 seconds. How many grams of radium-222 remain in a 12-gram sample after 76 seconds? After 114 seconds?

If the passing of 5 half-lives leaves 25.0 mg of strontium-90 sample, how much was present in the beginning?

Rarely as "cut-and-dry" however.

Half-life represented graphically



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Equations

$$t_{(1/2)} = \frac{\ln(2)}{k}$$

$$A_0 = A_t e^{kt}$$

Variables:

$t_{(1/2)}$ \equiv half -life

\ln \equiv natural log function (on calculator)

k \equiv decay rate constant

A_0 \equiv "A - naught" or initial amount of substance

A_t \equiv "A sub t" or amount at some time "t"

e \equiv exponential function (inverse operation of \ln)

t \equiv time

Derivation of Formula

$$\text{End: } t_{(1/2)} = \frac{\ln(2)}{k}$$

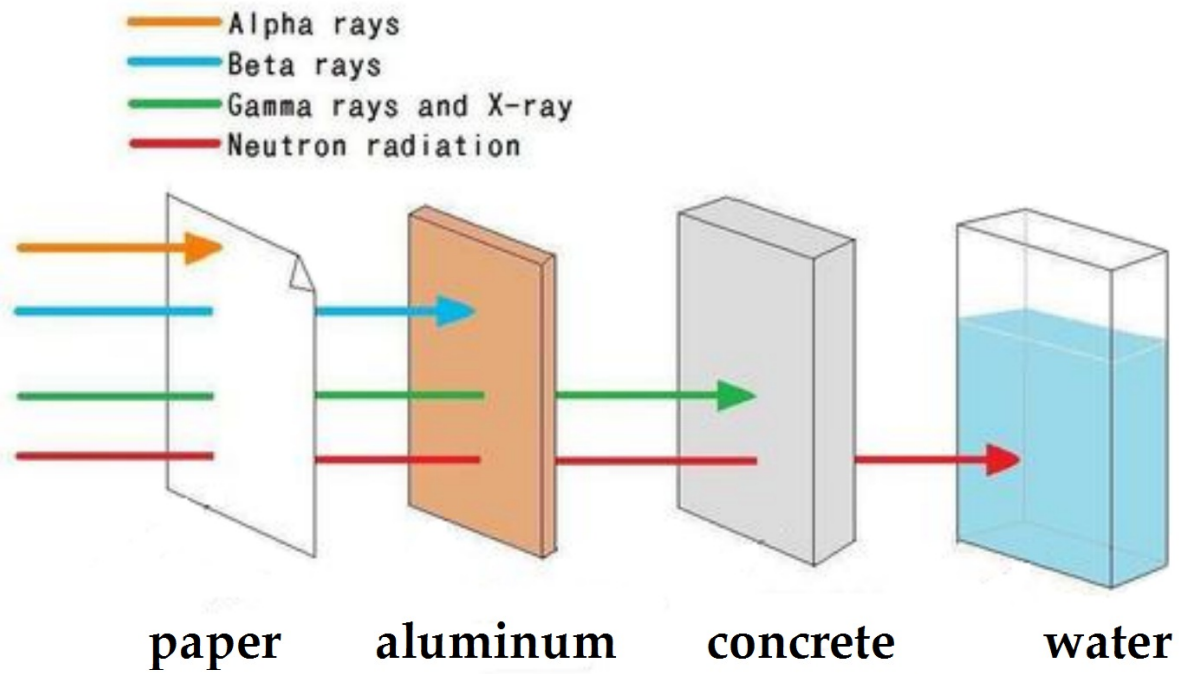
Example 1

What is the value of the decay rate constant (k) for Sn-121 if its half-life is known to be 76 years?

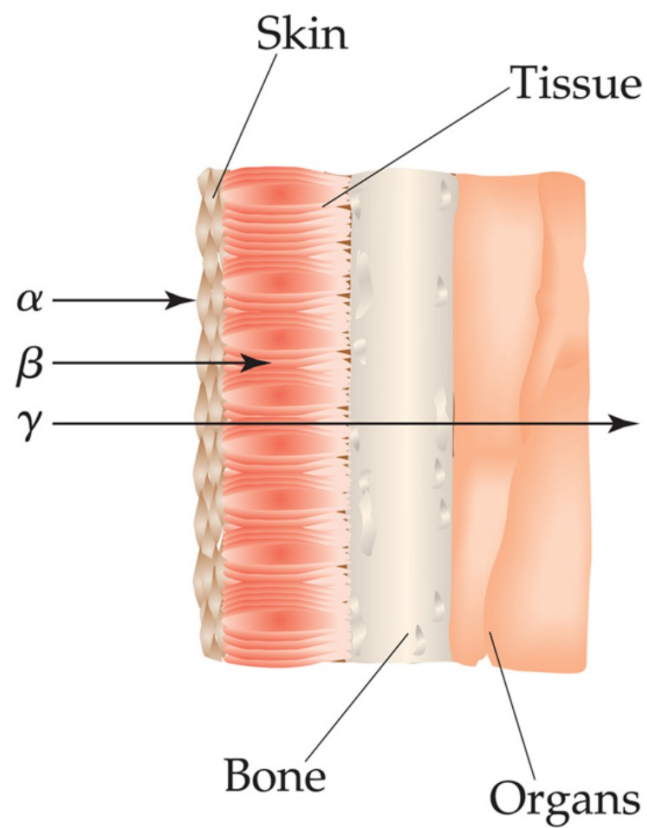
Example 2

Es-253 undergoes alpha decay at a rate of 20.47 days. (a) How many days would it take or a 5.60-mg sample to decay until only 7.72% remained? (b) What is the resulting nuclide?

Degree of Penetration



Penetrative Degree of Radioactivity for Humans



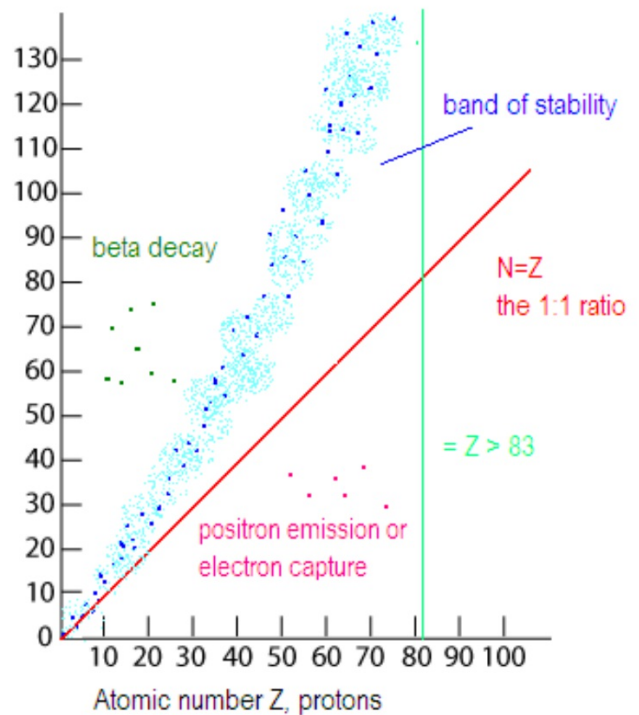
The Band of Stability

A plot of the number of neutrons vs. the atomic number

Generally, if the $Z > 83$
the nucleus is unstable
(radioactive)

the principle factor:
proton:neutron ratio

Examples: **Ca-40**, **Hg-160**
Zn-80, **Tb-159**



Magic Numbers

2, 8, 20, 28, 50, 82, and 126 (either p^+ or n^0)

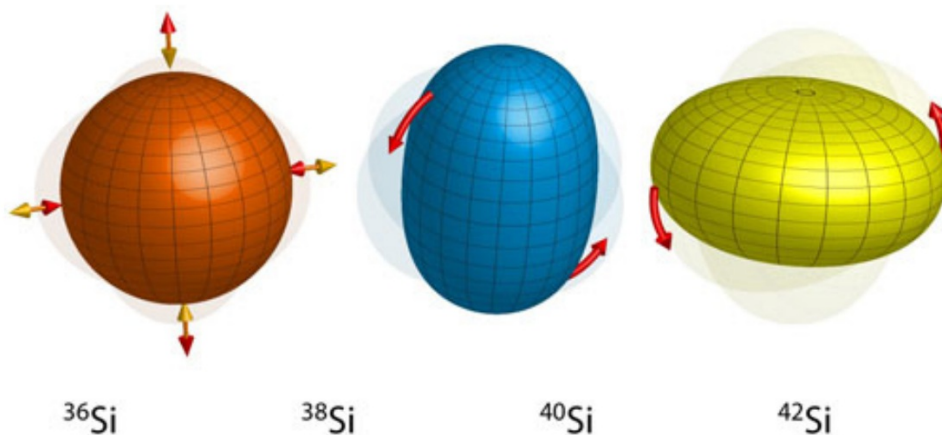
These nuclei have a higher average binding energy and are more stable against nuclear decay.

Number of Stable Isotopes	Protons	Neutrons
157	Even	Even
53	Even	Odd
50	Odd	Even
5	Odd	Odd

Magic Numbers

2, 8, 20, 28, 50, 82, and 126 (either p^+ or n^0)

These nuclei have a higher average binding energy and are more stable against nuclear decay.



Examples: O-18, Ni-78, Cr-52

Double Magic Numbers

Occurs when both the neutron and proton numbers are equal to magic #s (does not have to be the same magic number).

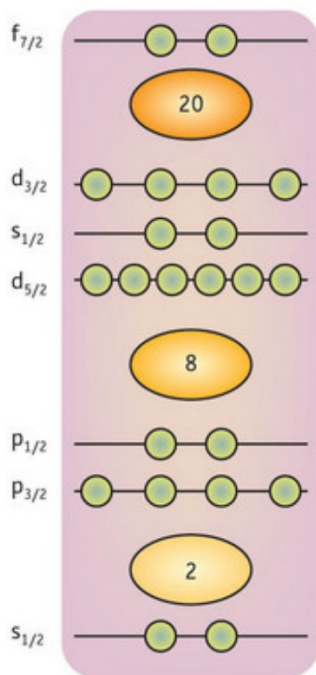
Examples: He-4, O-16, Ca-40, Ca-48, Ni-48, and lead-208

2, 8, 20, 28, 50, 82, and 126 (either p^+ or n^0)

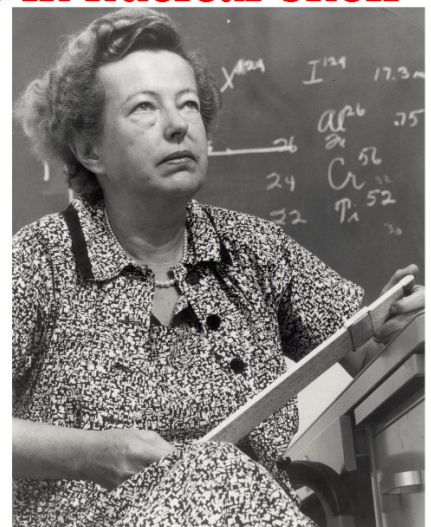
Maria Goeppert Mayer Mother of Nuclear Stability

Lead development of mathematical and physical explanations of nuclear stability.

Stable isotope



Inspired by the work of Bohr and Schrödinger to develop a model of protons and neutrons in nuclear shell model.



Radioactivity

Examples:

Identify whether the following isotopes would be radioactive or stable.

Two factors to consider:

Sn-118

Mg-24

At- 215

Fr-224

2, 8, 20, 28, 50, 82, and 126

(either p^+ or n^0)